## Draw Polygon Lines

Input file:
Output file:
Time limit:
Memory limit:
standard input
standard output
2 seconds
512 megabytes

This is an interactive problem.
You are given $n$ points $A_{i}=\left(x_{i}, y_{i}\right)$ on the plane. It is known that all $x_{i}$ are distinct and all $y_{i}$ are distinct. Your task is to draw polygonal lines connecting these $n$ points.
A polygonal line is defined by a permutation $p_{1}, p_{2}, \ldots, p_{n}$ of numbers from 1 to $n$. The polygonal line consists of $n-1$ segments, the first segment connects points $A_{p_{1}}$ and $A_{p_{2}}$, the second segment connects points $A_{p_{2}}$ and $A_{p_{3}}, \ldots$, the last segment connects points $A_{p_{n-1}}$ and $A_{p_{n}}$. Note that segments may intersect. The sharpness of a polygonal line is defined as the number of indices $2 \leq i \leq n-1$ such that the angle $\angle A_{p_{i-1}} A_{p_{i}} A_{p_{i+1}}$ is acute, i.e., strictly less than $90^{\circ}$.
You need to solve four tasks:

1. Find any polygonal line that has the maximum possible sharpness.
2. Given an integer $c$. Find any polygonal line whose sharpness is $\leq c$.
3. Given an integer $c$.

Answer $q$ queries, each specified by a single integer $k_{i}\left(c \leq k_{i} \leq n-c\right)$. In the $i$-th query, you need to construct a polygonal line that has sharpness exactly $k_{i}$.
4. Given an integer $c$.

For each $k$ from $c$ to $n-c$, construct a polygonal line $p^{(k)}$ with sharpness exactly $k$. Provide $n-2 c+1$ numbers hash $\left(p^{(c)}\right)$, hash $\left(p^{(c+1)}\right), \ldots$, hash $\left(p^{(n-c)}\right)$ as the answer, where $\operatorname{hash}(p)=\left(\sum_{i=1}^{n} p_{i} b^{i-1}\right) \bmod m$ is the polynomial hash of permutation $p$ with parameters $b=10^{6}+3$ and $m=10^{9}+7$.
Then answer $q$ queries, each specified by a single integer $k_{i}\left(c \leq k_{i} \leq n-c\right)$. In the $i$-th query, you need to provide the polygonal line $p^{\left(k_{i}\right)}$. It will be checked that the sharpness of this polygonal line is exactly $k_{i}$ and its hash matches the previously provided value hash $\left(p^{\left(k_{i}\right)}\right)$.
Note that queries will appear after receiving the hashes.
It is guaranteed, that under given constraints, the answers always exist.

## Interaction Protocol

The first line contains two integers task, group ( $1 \leq$ task $\leq 4,0 \leq$ group $\leq 21$ ) - the number of the task to be solved in this test and the test group number.
The second line contains a single integer $n(3 \leq n \leq 80000)$ - the number of points on the plane.
Each of the next $n$ lines contains two integers $x_{i}, y_{i}\left(\left|x_{i}\right|,\left|y_{i}\right| \leq 10^{9}\right)$ - the coordinates of the points. It is guaranteed that all $x_{i}$ are distinct and all $y_{i}$ are distinct.
If task $=1$, then the input ends here and you should output any permutation with the maximum possible sharpness. The interaction ends here.
If task $\neq 1$, then the next line contains a single integer $c\left(2 \leq c \leq \frac{n}{2}\right)$.
If task $=2$, then the input ends here and you should output any permutation with sharpness $\leq c$. The interaction ends here.

If task $=4$, your solution should output $n-2 c+1$ integers hash $\left(p^{(c)}\right)$, hash $\left(p^{(c+1)}\right), \ldots, \operatorname{hash}\left(p^{(n-c)}\right)$, where $0 \leq \operatorname{hash}\left(p^{(i)}\right)<10^{9}+7$. Note that this should not be done if task $=3$.

Further interaction occurs only if task $=3$ or task $=4$.
The next line contains a single integer $q(1 \leq q \leq 50)$ - the number of queries.
Then $q$ times, in each line, a query $k_{i}\left(c \leq k_{i} \leq n-c\right)$ appears. As a response, you should output a permutation on a separate line. The sharpness of this permutation should be exactly $k_{i}$. If task $=4$, the hash of this permutation should match the previously provided hash.
Since this is an interactive problem, after outputting each line, do not forget to output a newline character and flush the output buffer.

## Scoring

The tests for this problem consist of twenty-one groups. Points for each group are given only if all tests of the group and all tests of the required groups are passed.

| Group | Points | Constraints |  |  |  | Required Groups | Comment |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | task | $n$ | c | Additional constraints |  |  |
| 0 | 0 | - | - | - | - | - | Examples. |
| 1 | 8 | 1 | $n \leq 20000$ | - | $x_{i}<x_{i+1}, y_{i}<y_{i+1}$ | - |  |
| 2 | 6 | 1 | $n \leq 10$ | - | random points | - |  |
| 3 | 5 | 1 | $n \leq 1000$ | - | random points | 2 |  |
| 4 | 5 | 1 | $n \leq 20000$ | - | random points | 2-3 |  |
| 5 | 6 | 1 | $n \leq 20000$ | - | - | $1-4$ |  |
| 6 | 17 | 2 | $n=80000$ | $c=800$ | - | - |  |
| 7 | 7 | 3 | $n=80000$ | $c=800$ | $x_{i}<x_{i+1}, y_{i}<y_{i+1}$ | - |  |
| 8 | 4 | 3 | $n=50$ | $c=25$ | random points | - |  |
| 9 | 4 | 3 | $n=200$ | $c=80$ | random points | - |  |
| 10 | 4 | 3 | $n=1000$ | $c=300$ | random points | - |  |
| 11 | 3 | 3 | $n=5000$ | $c=600$ | random points | - |  |
| 12 | 3 | 3 | $n=80000$ | $c=35000$ | random points | - |  |
| 13 | 3 | 3 | $n=80000$ | $c=5000$ | random points | 12 |  |
| 14 | 3 | 3 | $n=80000$ | $c=2000$ | - | 12-13 |  |
| 15 | 2 | 3 | $n=80000$ | $c=800$ | - | 7, 12-14 |  |
| 16 | 6 | 4 | $n=80000$ | $c=800$ | $x_{i}<x_{i+1}, y_{i}<y_{i+1}$ | - |  |
| 17 | 3 | 4 | $n=5000$ | $c=600$ | random points | - |  |
| 18 | 3 | 4 | $n=80000$ | $c=35000$ | random points | - |  |
| 19 | 3 | 4 | $n=80000$ | $c=5000$ | random points | 18 |  |
| 20 | 3 | 4 | $n=80000$ | $c=2000$ | - | 18-19 |  |
| 21 | 2 | 4 | $n=80000$ | $c=800$ | - | 16, $18-20$ |  |

In the groups where it is indicated that the points are random, all coordinates of all points $x_{i}, y_{i}$ are randomly generated with equal probability in the interval $\left[-10^{9}, 10^{9}\right]$.

## Examples

| standard input | standard output |
| :---: | :---: |
| $\begin{array}{ll} 1 & 0 \\ 4 & \\ 2 & 3 \\ 1 & 8 \\ 4 & 2 \\ 0 & 0 \end{array}$ | $3241$ |
| $\begin{array}{ll} \hline 2 & 0 \\ 5 & \\ -2 & 0 \\ -1 & -1 \\ 0 & 1 \\ 2 & -2 \\ 3 & -3 \\ 2 & \end{array}$ | $54312$ |
| $\begin{array}{ll} 3 & 0 \\ 6 & \\ 0 & 0 \\ 1 & 1 \\ 2 & 2 \\ 3 & -3 \\ 4 & -2 \\ 5 & -1 \\ 2 & \\ 3 & \\ 2 & \\ 3 & \\ 4 & \end{array}$ | $\begin{aligned} & 12345 \\ & 4 \\ & 4 \end{aligned} \begin{array}{lllll} 6 & 6 & 1 & 2 \\ 6 & 2 & 4 & 3 & 5 \end{array} 1$ |
| $\begin{array}{ll} \hline 4 & 0 \\ 5 & \\ -2 & -1 \\ -1 & 1 \\ 1 & 6 \\ 0 & -3 \\ 2 & 0 \\ 2 & \\ & \\ 2 & \\ 2 & \\ 3 & \end{array}$ | $\begin{aligned} & 534735187 \quad 776162084 \\ & 4 \\ & 4 \end{aligned} 512 \begin{aligned} & 5 \\ & 1 \end{aligned} 3254$ |

## Note

In all the figures, acute angles are denoted by two arcs, and non-acute angles are denoted by a single arc.

First and second examples



In the first example all angles are sharp, so the line has maximum sharpness 2 .
In the second sample the sharpness equals to 1 , it is $\leq 2$.
Third example




In the third example the lines have sharpness $2,3,4$.
Forth example



In the forth example we build lines that have sharpness 2 and 3 . The lines have hashes equal to the ones provided earlier.

